

Mineral volumetric properties, structural properties, phase equilibria

# MELTS, pMELTS, rhyolite-MELTS, alphaMELTS, MELTS for Excel, etc.



### Phases and components included:

# **Solid solutions**

- olivine Mg-Fe<sup>2+</sup>-Co-Ni-Ca-Mn
- garnet Mg-Fe<sup>2+</sup>-Ca
- melilite Mg-Al-Fe<sup>2+</sup>-Na
- opx Ca-Mg-Fe<sup>2+</sup>-Al-Fe<sup>3+</sup>-Na
- cpx (pig) Ca-Mg-Fe<sup>2+</sup>-Al-Fe<sup>3+</sup>-Na
- cummingtonite Mg-Fe<sup>2+</sup>
- amphibole Ca-Mg-Fe2+
- hornblende (pargasite-hastingsite)
- biotite Mg-Fe<sup>2+</sup>
- feldspar Na-Ca-K
- nepheline Na-Ca-K-[]
- kalsilite Na-Ca-K-[]
- leucite Na-K-H<sub>2</sub>O
- spinel Mg-Fe<sup>2+</sup>-Cr<sup>3+</sup>-Al-Fe<sup>3+</sup>-Ti
- rhm oxide Mg-Fe<sup>2+</sup>-Cr<sup>3+</sup>-Al-Fe<sup>3+</sup>-Ti
- ortho oxide Mg-Fe<sup>2+</sup>-Fe<sup>3+</sup>
- Fe-Ni alloy (solid and liquid)

# **Stoichiometric phases**

- titanite
- aegirine
- aenigmatite
- muscovite
- quartz
- tridymite
- cristobalite
- corundum
- sillimanite
- rutile
- perovskite
- whitlockite
- apatite
- water
- periclase

LIQUIC: SiO<sub>2</sub>-TiO<sub>2</sub>-Al<sub>2</sub>O<sub>3</sub>-Fe<sub>2</sub>O<sub>3</sub>-FeO-MnO-MgO-NiO-CoO-CaO-Na<sub>2</sub>O-K<sub>2</sub>O-P<sub>2</sub>O<sub>5</sub>-H<sub>2</sub>O-(CO<sub>2</sub>)

# Mass transfer calculations

Gibbs free energy minimization of G(T, P) yields m, X, V, etc.		polythermal isobaric	polytherma isochoric
Helmholtz free energy $(A = G - PV)$	State 1	G(T <sub>1</sub> ,P)	A(T <sub>1</sub> ,V)
<i>minimization of A(T, V)</i> yields <i>m, X, P, etc.</i>			
Enthalpy (H = G - TS)		<b>m</b> <sub>1</sub> , <b>X</b> <sub>1</sub> , <b>V</b> <sub>1</sub>	<i>m</i> <sub>1</sub> , <i>X</i> <sub>1</sub> , <i>P</i> <sub>1</sub>
<i>minimization of H(S, P)</i> yields <i>m, X, T, etc.</i>			
Internal energy (E = G - PV+TS)	State 2	G(T <sub>2</sub> ,P)	A(T <sub>2</sub> ,V)
minimization of E(S, V) yields m, X, T, P, etc			
Entropy ( <i>S</i> = <i>G</i> / <i>T</i> - <i>H</i> / <i>T</i> )	$\downarrow$	<i>m</i> <sub>2</sub> , <i>X</i> <sub>2</sub> , <i>V</i> <sub>2</sub>	<i>m</i> <sub>2</sub> , <i>X</i> <sub>2</sub> , <i>P</i> <sub>2</sub>
<i>maximizing of S(H, P)</i> yields <i>m, X, T, etc.</i>			
All of the above as open systems	State 3	G(T <sub>3</sub> ,P)	A(T <sub>3</sub> ,V)
Korzhinskii potential (L = G - n <sub>02</sub> µ <sub>02</sub> )			
		ma Va Va	m. V. D.

 $m_3, X_3, V_3$   $m_3, X_3, P_3$ 



#### Computational method for solving for the abundances and compositions

Gibbs free energy minimization for T, P grids using a fully second order Newton method Helmholtz free energy for T, V grids; Enthalpy for S, P grids; Internal Energy for S, V grids

> Quadratic approximation to the Gibbs free energy

> > Minimum

Quadratic search direction in the null space of bulk composition constraints

Actual Gibbs free energy

Linear step along quadratic search direction

Composition ———

#### Most time consuming calculation: phase saturation algorithm



# **MELTS Failures and solutions**

### Calc-alkaline magmas

- Inability to accurately model hornblende-liquid and biotite-liquid phase equilibria. Due to a dearth of applicable experimental data. Not necessarily a problem with formulation of liquid solution theory.
- Phase equilibria above ~ 4 GPa and < 30 GPa</li>
  - A decade ago, the problem was a dearth of experimental data. That is no longer the case. Now the difficulties are an EOS for the liquid state (solved), a more sophisticated solution model for the liquid (solved) and solution theory for high-pressure phases.
- Phase equilibria at pressures > ~ 30 GPa
  - Here the problem is lack of experimental data and insufficient understanding of structural transformations that accompany compression of the liquid. But, there is hope!
- Sulfur-bearing mixed fluid systems
  - Mixed H<sub>2</sub>O-CO<sub>2</sub>-sulfur bearing systems are the goal. The ability to model redox equilibria involving iron and sulfur is an attainable objective.
- Automating calibration and maintenance of models